PIMS Elementary Grades Math Competition 30 April 2016 Target Round - Grade Five Division NAME:

SCHOOL:

1. *A* and *B* are the midpoints of two adjacent sides in the rectangle below. What fraction (in lowest terms) of the rectangle is shaded?



- 2. What is the positive difference between the mean and the median of the set of numbers below? $\{-10, -4, -2, 0, 2, 4, 150\}$
- In the diagram below, the fuel consumption of five cars are 14, 10, 12, 6, and 8 Litres/100km as shown.
 What is the average consumption (of fuel per car) of the five cars in L/km?
 Provide your answer as a common fraction in lowest terms.



____ (L/km) 3

1

2

4. Consider the following sequence: 1 (sum of the factors of 1),
3 (sum of the factors of 2), 4 (sum of the factors of 3),
7 (sum of the factors of 4), 6 (sum of the factors of 5), ...
What is the sum of all the terms that each has value less than 15?

Grade Five (5) Division

5. N > 200 is a perfect square. What is the smallest possible value of N?

6. 100 hungry students eat together 225 pizza slices. N of them ate one slice, N+30 ate two slices, and the rest ate three slices. What is the value of N?

6

5

7. XZ = 3, YZ = 2, and XY = 5 are all diameters of the 3 circles in the figure below. What percentage of the large circle is shaded?



(%) 7

8. *A*, *B*, *C*, *D*, and *E* are different even numbers between 1 and 11. Find the smallest possible positive integer value of $\frac{(A+B)(C-D)}{E}$.

8

Grade Five (5) Division

 Leonard's clock runs 3 minutes faster every day.
 If he wants to have the correct time at exactly 8:00 AM tomorrow, how many minutes should he set his clock back today at 4:00 PM?

- 10. A group of 5 students won a prize: Alfie got \$300, Betti got ¹/₃ of the total prize, Charlie got 50% of what Betti got, Dalton got twice as much as Alfie, and Erin got ⁵/₁₂ of the prize. How many dollars was the prize? (\$) 10
- 11. The shaded region is a regular hexagon enclosed inside another regular hexagon *ABCDEF*. The perimeter of the shaded area is 12. What is the value of *AF*? Express your answer as $m\sqrt{n}$ where *m* and *n* are primes.



_ 11

(m)9

12